

By

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Throughout the Rocky Mountain region, there are thousands of square miles of heavily producing watersheds lying in the alpine and subalpine zones. These areas are completely unprotected from the enormous evaporative and sublimative losses produced by wind, temperature and solar radiation.

The snowmelt-runoff equation that consists only of the forest protected snow course data, the soil moisture deficit and the late spring precipitation, is based on the assumption that there is little or no variation in alpine evapo-sublimation.

This paper consists of three parts: (1) The development of evaporation and sublimation formulae. (2) Automatic data processing, with these formulae, of Boise 750 mb temperature data and Lander solar radiation data. (3) The application of this processed data to the snowmelt-runoff analysis of a watershed.

It is in contrast to the first two papers on this subject where monthly values of evaporation factors were applied, statistically, to the runoff analysis.

Slide 1

This site on Casper Mountain is in the subalpine zone, at an elevation of 8,100 feet, and twelve miles from town. Wind velocities average 20 miles per hour.

The forest protected snowpack at this elevation averages about 60 inches on April 1, but very little snow is held on this unprotected ridge. The equipment shown consists of an anemometer, thermograph, sol-a-meter and the ice sample. Additional equipment includes an 8-inch precipitation scales, a base weight for scales correction and a sling psychrometer.

The Hogadon ski shelter is 100 yards to the east of this equipment. Bob Hardesty, the manager very kindly provided keys to the shelter for those times that it was necessary to stay all night on the mountain.

Plate I

This is a 24-hour section of the anemometer chart with recorded data of wind direction, wind run, temperatures in Fahrenheit, and solar radiation. The relative humidity is charted on a hygrograph or obtained once every hour with a sling psychrometer. A chart was developed to convert the loss from the 10-inch cube of ice to inches of evaporation or sublimation. In addition, the chart compensated for any change in the area of ice exposed.

Plate II

The 12-hour wind run versus the 12-hour sublimation in inches. The 12-hour periods are from 1800 hours to 0600 hours to eliminate insolation losses. Temperatures are always less than zero degrees centigrade. The curve is anchored at zero wind and zero sublimation. Of the eighteen samples obtained, eight of these were in dry air and provided a maximum rate of sublimation.

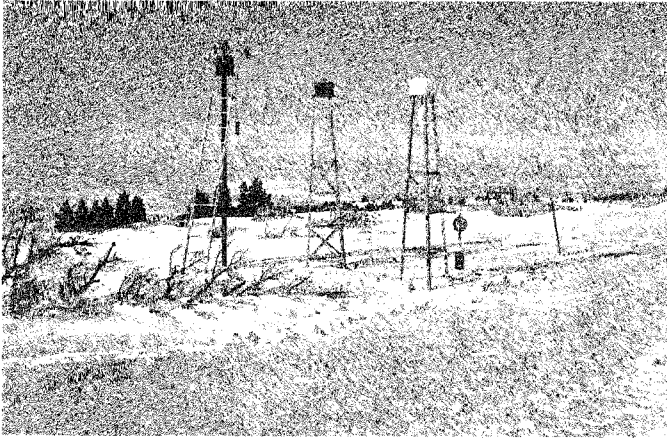
The equation for the curve is: $S_m^{12 \text{ hr}} = 0.00018 \text{ Wind Run}$

Plate III

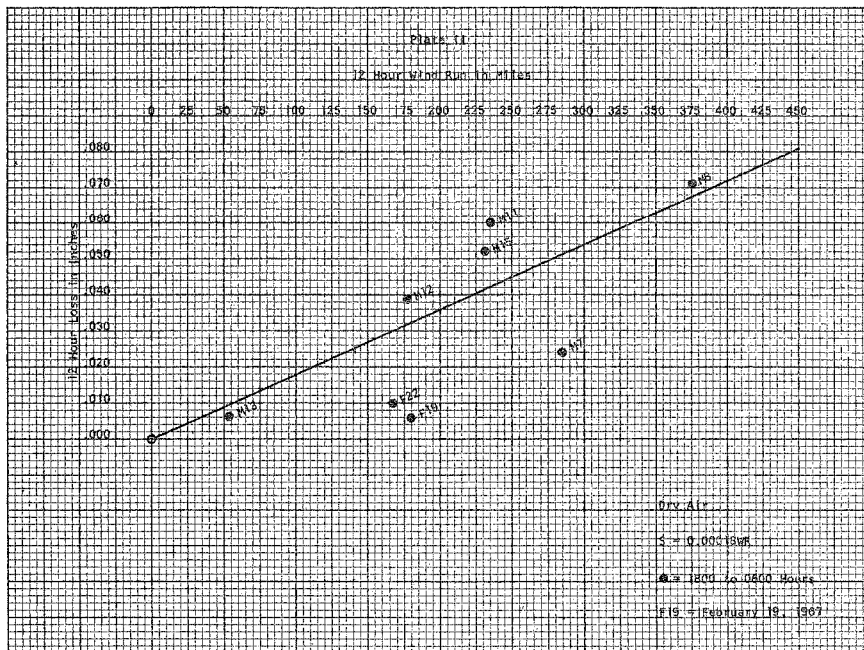
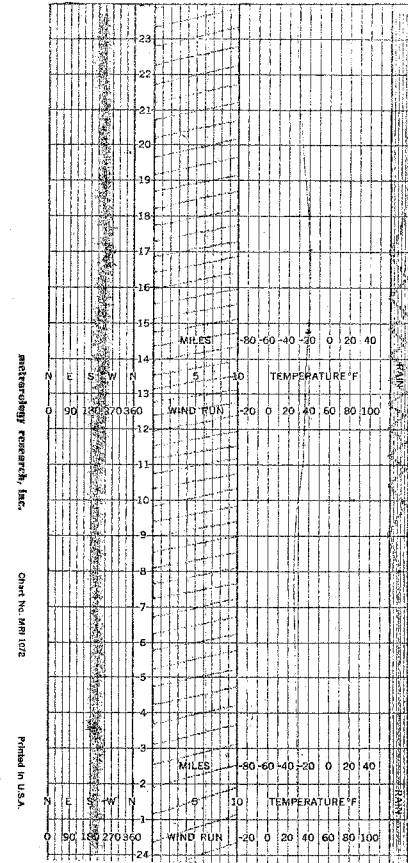
The deviations in inches from the curve of Plate II versus the degree centigrade for the 12-hour period.

1/ Presented at Western Snow Conference, April 15-17, 1969, Salt Lake City, Utah.

2/ Wyoming Snow Survey Supervisor, USDA, SCS, 345½ East Second St., Casper, Wyo.



Casper Mountain Evapo-Sublimation Data Site



Maximum diffusivity with no wind is 0.021 inches of sublimation per 12 hours. Zero diffusivity is at -6.6°C. or 79DHC. Condensation occurs at still lower temperatures and no wind.

The graphical correlation of 1800 to 0600 hour data in dry air produces this formula for maximum sublimation:

$$S_m^{12hr} = 0.00018\text{Wind Run} + 0.000265\text{Degree Hours Centigrade} + 0.021$$

Plate IV

The same procedure is followed for the daylight hours of 0600 to 1800 in order to obtain insolation rates. The diffuse and solar radiation was converted to Langleys and plotted against the sublimation losses.

A Langley is the amount of heat required to raise a gram of water one degree centigrade. The slope of the curve is exactly the same as that for degree hours centigrade.

The intercept of the curve is at 92 Langleys. The period of sunshine for this time of year is 8 3/4 hours, which would indicate outgoing, or long wave, radiation of 0.17 Langleys per minute.

The maximum rate of radiation sublimation is then:

$$S_m^{12hr} = 0.000265(\text{Net Langleys})$$

The dry air formula for sublimation rates is then:

$$S_m^{12hr} = 0.00018WR + 0.000265DHC + 0.000265NL + 0.021$$

Combining Degree Hours and Net Langleys is permissible only if the areas exposed to both factors are identical. The areas exposed on the watershed are never identical.

Plate V

The development of a formula for evaporation is based on the temperature curve for sublimation.

The curve is anchored at the point of maximum diffusivity for zero temperatures and zero wind, given the same slope as that for sublimation, and extended into the evaporation area.

The combination of temperatures above freezing and insolation deteriorates the ice so rapidly it is necessary to eliminate solar radiation. The period extends from 1800 hours to 0600 hours.

In addition, relative humidity data were obtained once an hour with the sling psychrometer.

The points represent evaporation, in inches, versus the degree hours above 0°C.

Plate VI

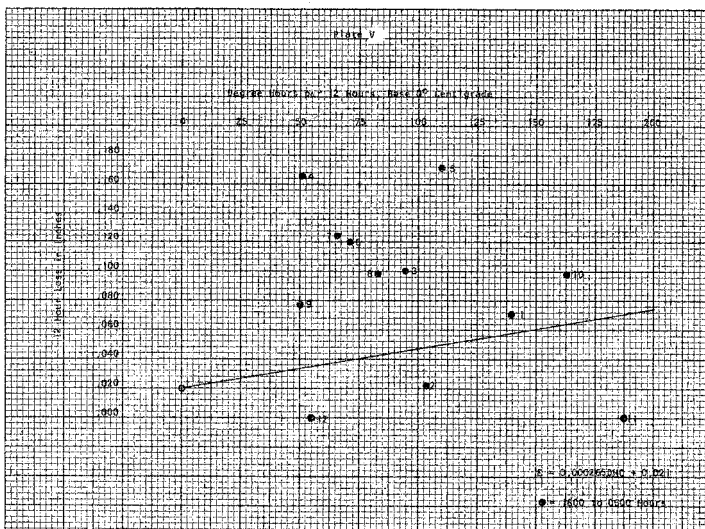
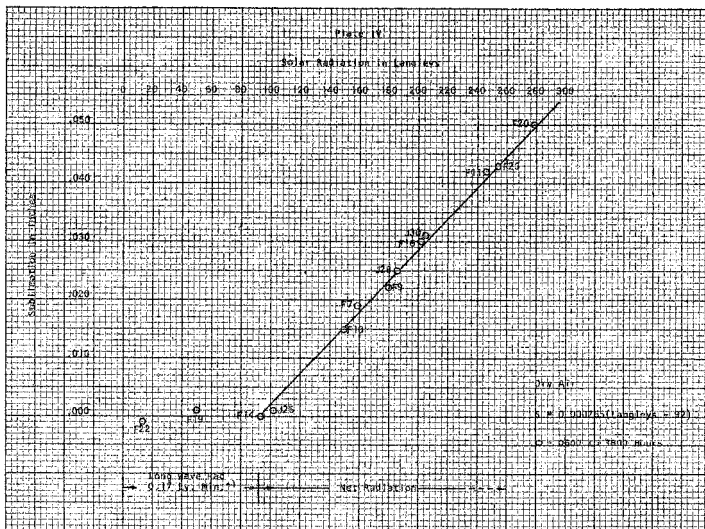
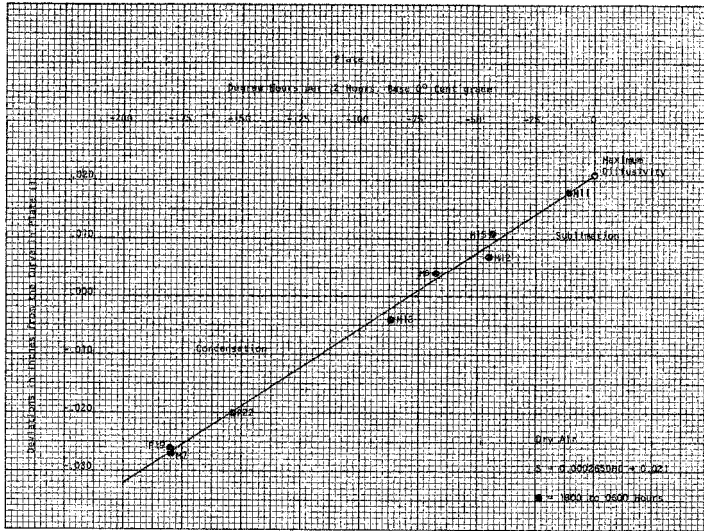
The deviations from Plate V versus the wind run.

The slope of the curve is at a maximum for these data. The final plate in this series also indicates that the opportunity for evaporation is at a maximum. The dry air formula for wind is then:

$$E_m^{12hr} = 0.000555WR$$

Plate VII

The observed evaporation values versus the dry air formulae of Plates V and VI.



The ratio of the observed values and the computed values provides a percent of maximum evaporation; $\%E = (E_G / E_m) 100$.

This becomes the ordinate of the points in Plate IX.

Plate VIII

The curve for the saturation vapor pressure over ice, for positive degrees centigrade, is obtained by $RH_G = V_i / V_a$. RH_G is the relative humidity at saturation vapor pressure. V_i is the maximum vapor pressure for ice and is equal to 0.180 inches of mercury for 0°C and above. V_a is the maximum vapor pressure of water in inches of mercury, at a given temperature. RH_G is the observed relative humidity. The vapor deficit over ice is $1 - (V_a / V_i)RH_G$. This becomes the abscissa in Plate IX.

Plate IX

The percent of evaporation versus the vapor deficit over ice.

The coordinates of these points are determined by the procedures explained in Plates VII and VIII.

Plate X

Observed Evaporation versus Computed, or Net Evaporation.

$$E_n^{12hr} = (0.000555WR + 0.000265DHC + 0.021)\%EVD$$

Where $\%EVD$ is the percent of evaporation indicated by the vapor deficit.

AUTOMATIC DATA PROCESSING

Plate XI

Manes Barton, Staff Assistant, Soil Conservation Service and Arthur Crook, Wyoming Assistant Snow Survey Supervisor, developed a program that would process Winds Aloft data with the Casper Mountain formulae.

This is November 1965, 750 and 700 mb data recorded by the Weather Bureau at Lander, Wyoming.

The wind, temperature and dew point data are recorded at 12-hour intervals which are labeled Period 1 and Period 2.

Beginning on the left, we have the date and the percent of evapo-sublimation for Period 1. The third column is the number of inches of evaporation that occurred during the corresponding windrun. It is determined by 0.000555Wind Run multiplied by the percent of evaporation indicated by the vapor deficit.

The fourth column is the number of inches of evaporation determined by $(.000265DHC + 0.021)\%EVD$. The fifth column is the number of inches of evaporation determined by $(.000265\text{Net Langleys})\%EVD$.

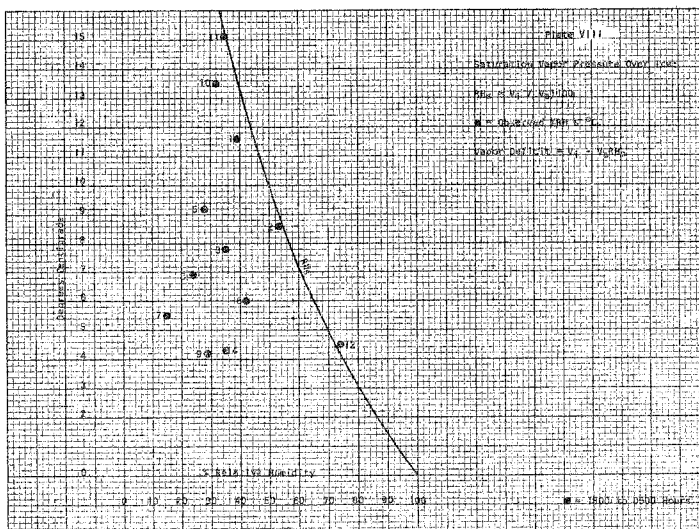
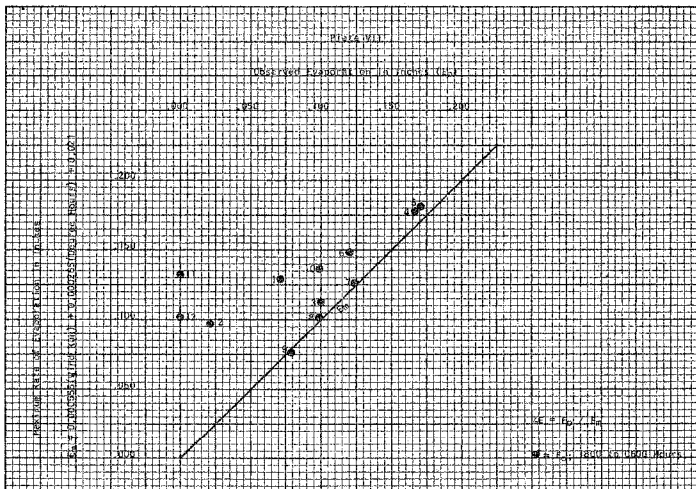
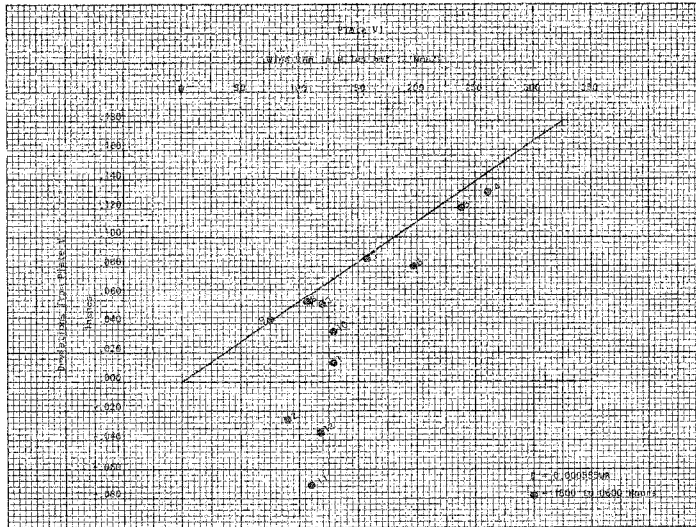
The balance of the columns in Period 1 are the processed sublimation data.

The monthly totals of each column are indicated by T.

The date of the initial snowpack accumulation is November 12. It is also the date on which evapo-sublimation starts.

THE SMITH'S FORK RUNOFF ANALYSIS

The Smith's Fork watershed is located at the west end of Wyoming on Commissary Ridge and the Tump Range. The seasonal snowmelt runoff averages 114,000 acre-feet of water.



There are six snow courses on the watershed, two at an average of 9,000 feet elevation, two at 8,400 feet and two at 7,700. In addition, the watershed has two Pearson precipitation gages, one at the Salt River Summit snow course and the other at the Kelly Ranger Station snow course.

The sources of the winds Aloft data are Boise, Idaho and Lander, Wyoming.

The stream gaging station is near Border, Wyoming.

Plate XII

The average data of each pair of snow courses at high, medium and low elevation were weighted by computer analysis.

The basin precipitation column consists of the weighted water content minus the soil moisture deficit plus May precipitation.

The seasonal runoff period is from April 1 to September 30, and is scaled in thousands of acre-feet.

The dotted line is the mean curve of the precipitation column versus the ASROM.

The base curve is parallel to the mean curve and anchored at the point of zero runoff, or watershed field capacity.

Plate XIII

The deviations, in inches, from Plate XII were plotted against the wind and temperature evaporation data. The slope of the curve is 1:1.

Computer analysis indicated values of 75% for Boise data and 25% for Lander data.

The date of the initial snowpack accumulation is, now, determined by the LaBarge Guard Station pillow. Prior to this installation, the date of the initial accumulation was determined by snowfall records at Bondurant and South Pass.

Plate XIV

Net Langleys were determined by subtracting the maximum value of long wave radiation, for each month, throughout the winter. This data is plotted against the plus and minus deviations, in inches, of Plate XIII. It includes evaporation and sublimation.

The losses from solar and diffuse radiation data must be kept separate from the wind and temperature losses, since insolation is applicable to a different area of the watershed.

Plate XV

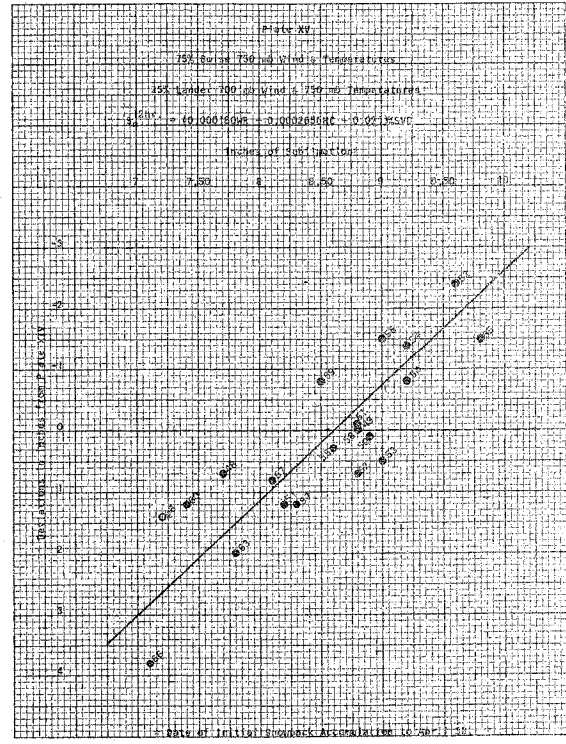
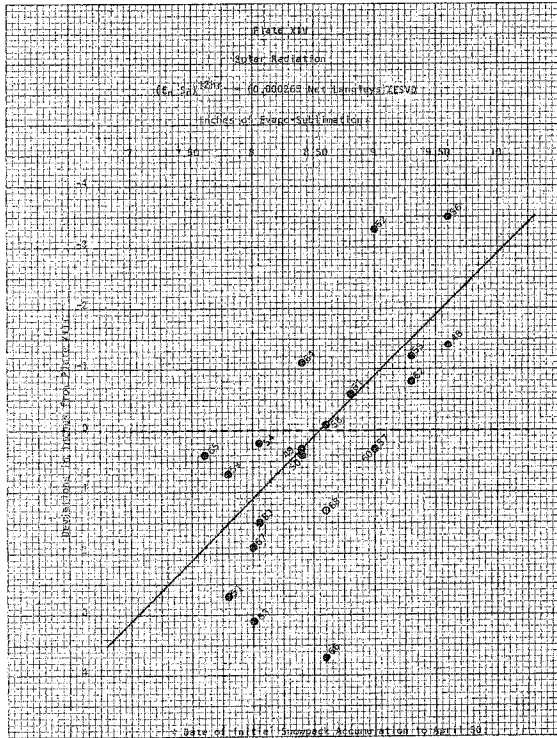
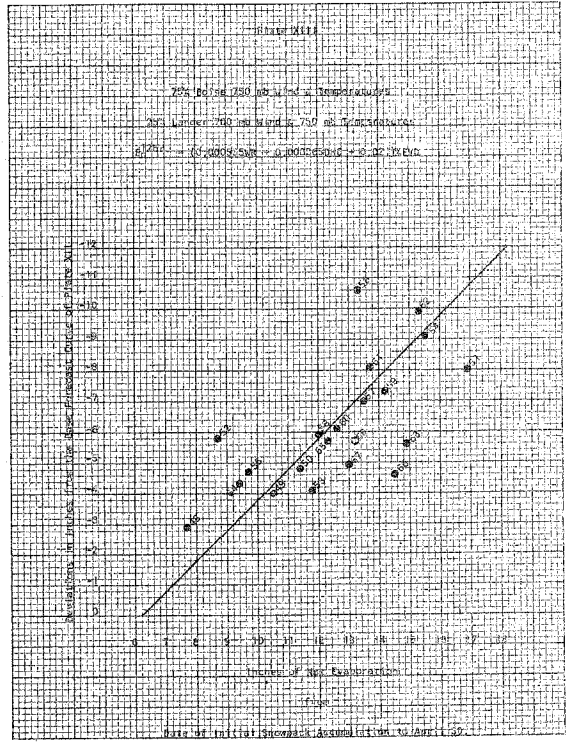
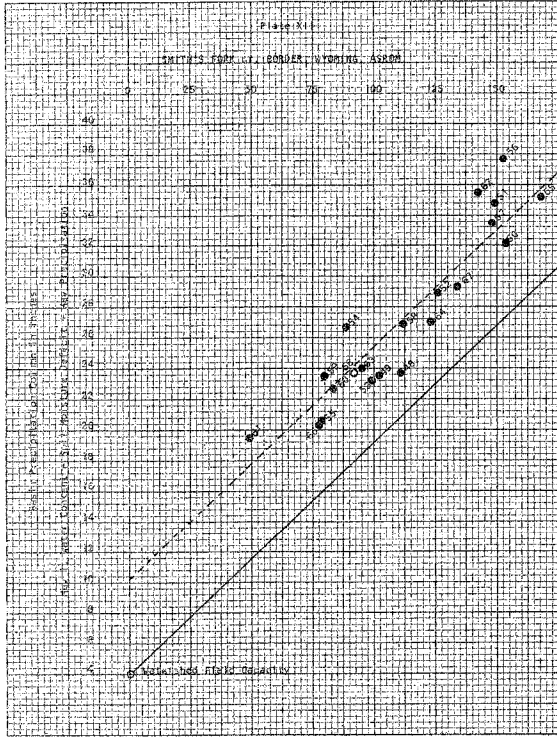
The sublimation indicated by the processed Winds Aloft data are plotted against the deviations from Plate XIV. The millibar level and weighting that was used for evaporation is also applied to sublimation.

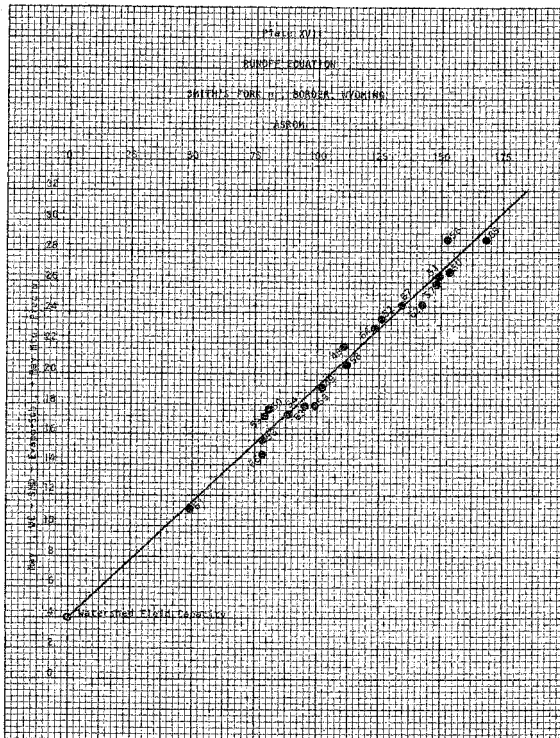
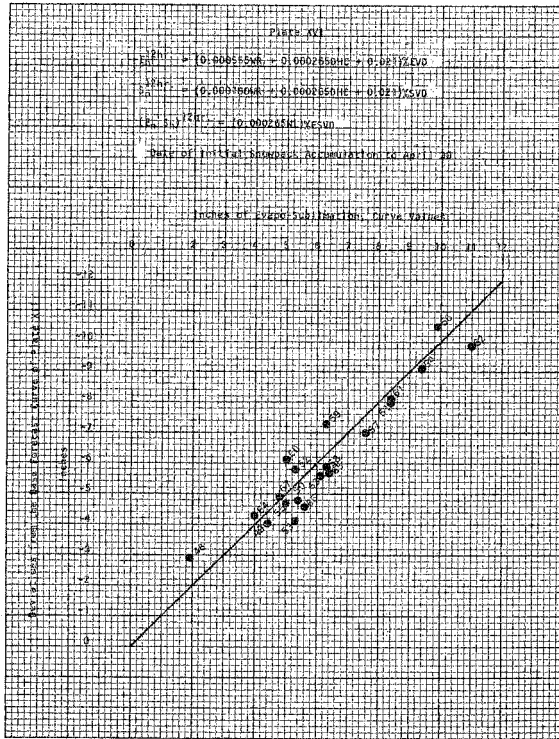
Plate XVI

The curve values of Plate XIII minus the intercept, and the curve values of Plates XIV and XV are plotted against the deviations of Plate XII to determine the total evaporation losses.

Plate XVII

The deviations from the base curve of Plate XII are corrected by the total evaporation loss of Plate XVI, to obtain the Smith's Fork runoff equation and forecast formula.





SUMMARY

Snowmelt-runoff equations for watersheds with alpine areas, or open range at deep snowpack elevations, must contain factors that adjust for the variable and substantial evapo-sublimation losses.

Weather Bureau stations gathering Winds Aloft data are widely scattered and not applicable to major sections of the Rocky Mountains. Furthermore, these data are "spot" measurements taken once every 12 hours and not at the hours best suited for analysis.

Radiation, in particular, must be on a local basis. The Soil Conservation Service now has 10 sol-a-meters in the state that will be of considerable help in another year or two.

Forecasts will not reach the accuracy desired until the alpine wind, temperature, insolation and humidity data become available.

ADDENDUM

Throughout the evaporation research, it was necessary to keep accurate records of the melt not accounted for by night time evaporation factors.

The equation for net melt was found to be: $M_n = (0.007DHC)\%MPVP$, where $\%MPVP$ is the percentage of melt indicated by the partial vapor pressure over ice.

The solution of the $\%MPVP$ may be had upon request.